

E 1.6:2 bounded	
maximum	
semicont	
A 6 a	
b	
A 7 a	
b	
c	
d	
e	
A 8 a	
b	

E 2.1:3 if	
only if	
E 2.1:5 Banach	
nonseparable	
E 2.1:6 c_0 closed	
c closed	
c_0 separable	
c separable	
$c = \mathbb{F}e + c_0$	
E 2.1:7 seminorm	
null space	
$\ x\ _Q = \ Qx\ $	
E 2.1:10 Banach	
equivalent	
E 2.2:1 decomposition	
$\alpha > 0$	
E 2.2:2 $\text{bdd} + P^2 = P$	
conversely	
commutes	
A 9	
A 10	
A 11	
A 12 a	
b	
A 13	

E 2.3:2 ℓ^1 onto $(c_0)^*$	
c^*	
c_0 not refl	
c not refl	
E 2.3:4	
E 2.3:5 if	
only if	
E 2.3:7 T bdd	
T^*	
E 2.3:8	
E 2.4:4 if	
only if	
E 2.4:5	
E 2.4:7 Show	
Explain	
E 2.4:8 Y	
X/Y	
A 14 a	
b	
E 2.5:3 metrizable	
separable	
A 15 a	
b	
c	
A 16 a	
b	

E 3.1:7			
E 3.1:8 closed, bounded, convex			
no vector with max norm			
E 3.1:9 $0 \in$ weak closure			
no sequence			
not first countable		A 18 (a)	
E 3.1:10		A 18 (b)	
E 3.1:11		E 4.1:10	
E 3.1:13		A 19	
A 17		A 20 (a)	
E 3.2:1 if		A 20 (b)	
only if		E 3.3:3	
E 3.2:2		E 3.3:4 if	
E 3.2:3		only if	
E 3.2:4		E 3.3:5 polar decomp	
E 3.2:5 distance		characterize	
Conversely		E 3.3:6	
E 3.2:10 eigenvector		E 3.3:7 if	
either		only if	
E 3.2:11 converges			
when $T = T^*$			
E 3.2:15 unique T^*			
conjugate linear isometry			
satisfies			