# Exempel

Visa att om $z = f(x + 2y)$ där $f \in \mathcal{C}^1(\mathbb{R})$, då löser $z$ ekvationen

$$2z'_x - z'_y = 0.$$

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